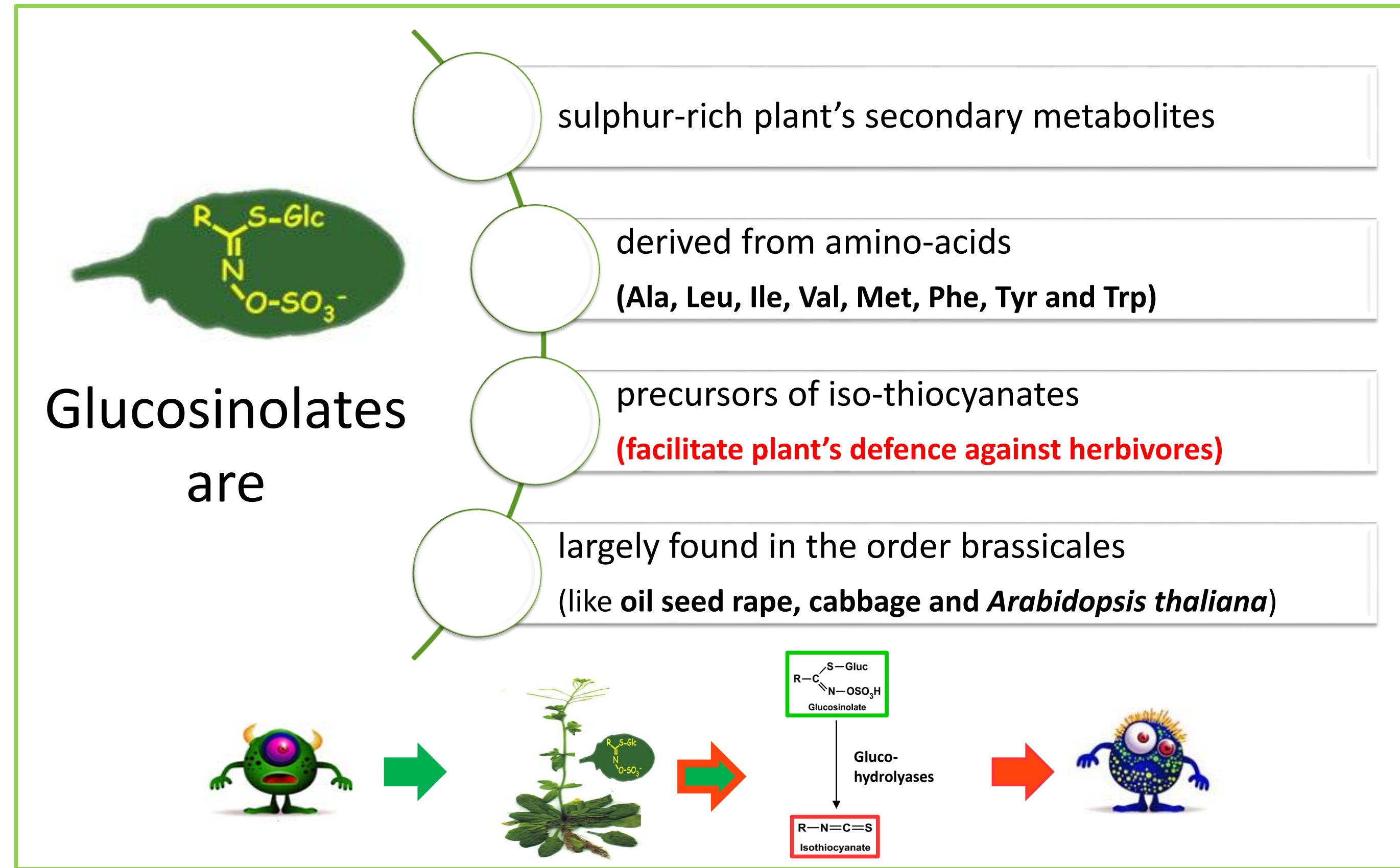


Suraj Sharma<sup>1</sup> and Oliver Ebenhöh<sup>1</sup>

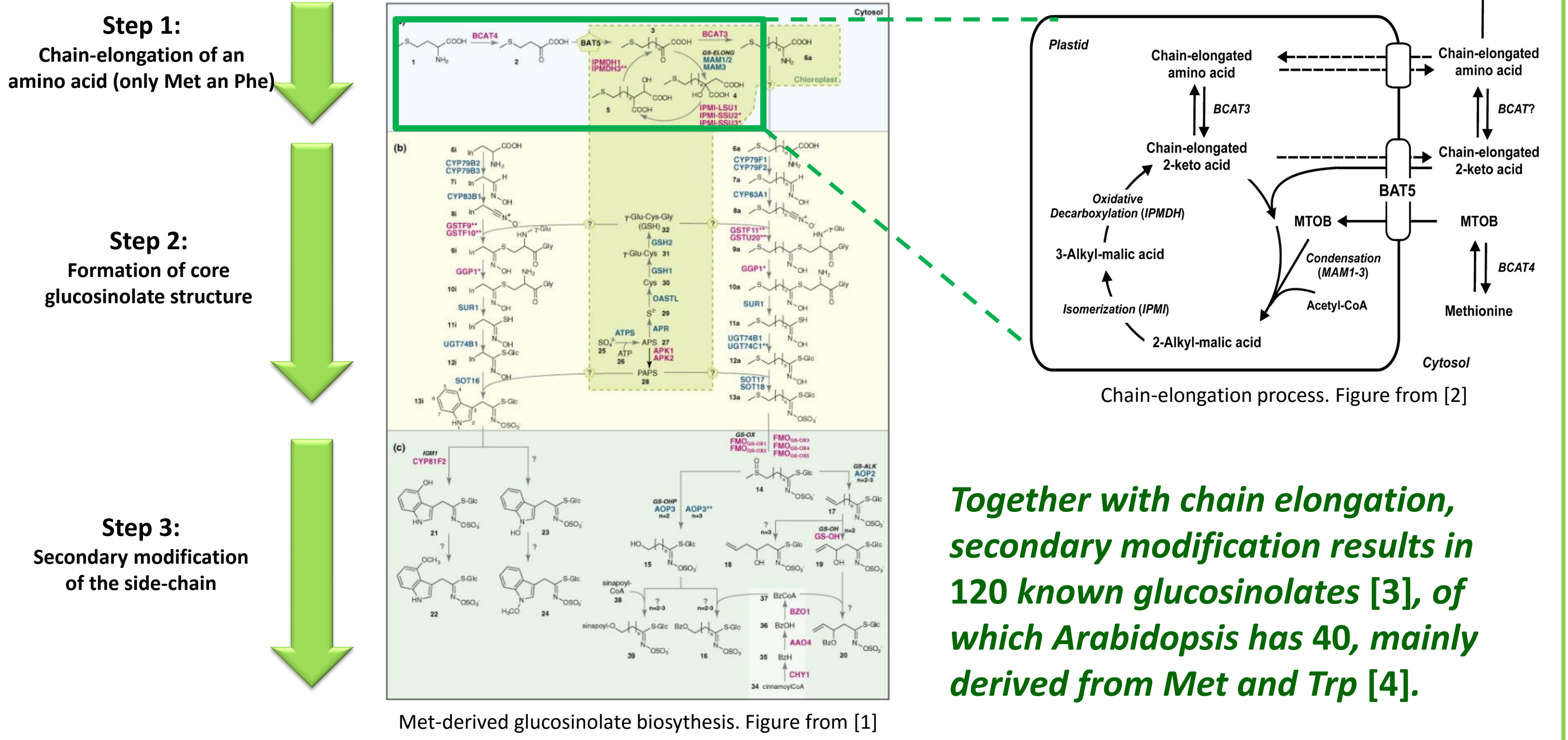
<sup>1</sup> Cluster of Excellence on Plant Sciences (CEPLAS), Institute for Quantitative and Theoretical Biology, Heinrich-Heine Universität Düsseldorf, Germany  
Email: suraj.sharma@hhu.de

## Significance

Glucosinolates are plant secondary metabolites which play an important role in plant's defense against herbivores. Therefore, understanding the regulation of glucosinolate production is key for understanding plant-microbe interactions. A major difficulty in the analysis of secondary metabolites is the vast diversity of different chemical structures. Considering the types of biochemical transformations involved in the biosynthesis of secondary metabolites, in principle an infinite number of chemical structures could be produced.

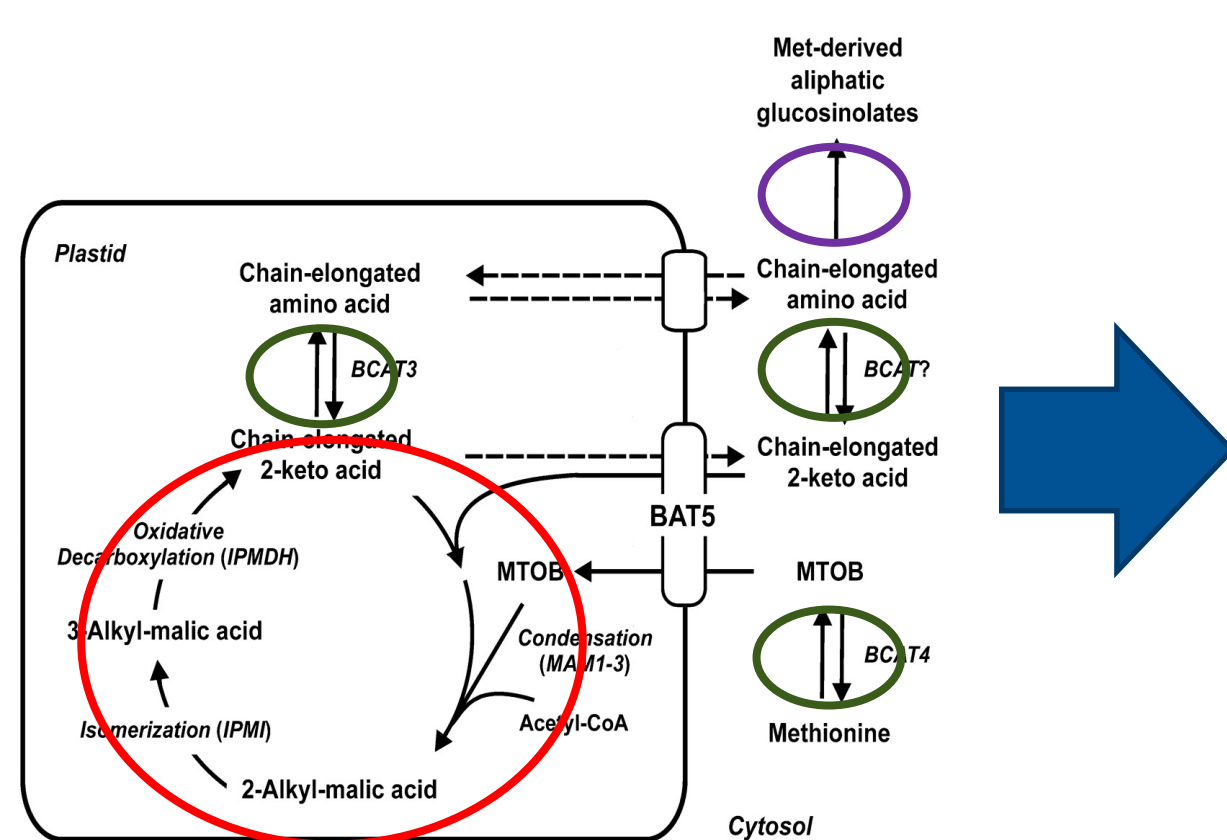


## Biosynthesis



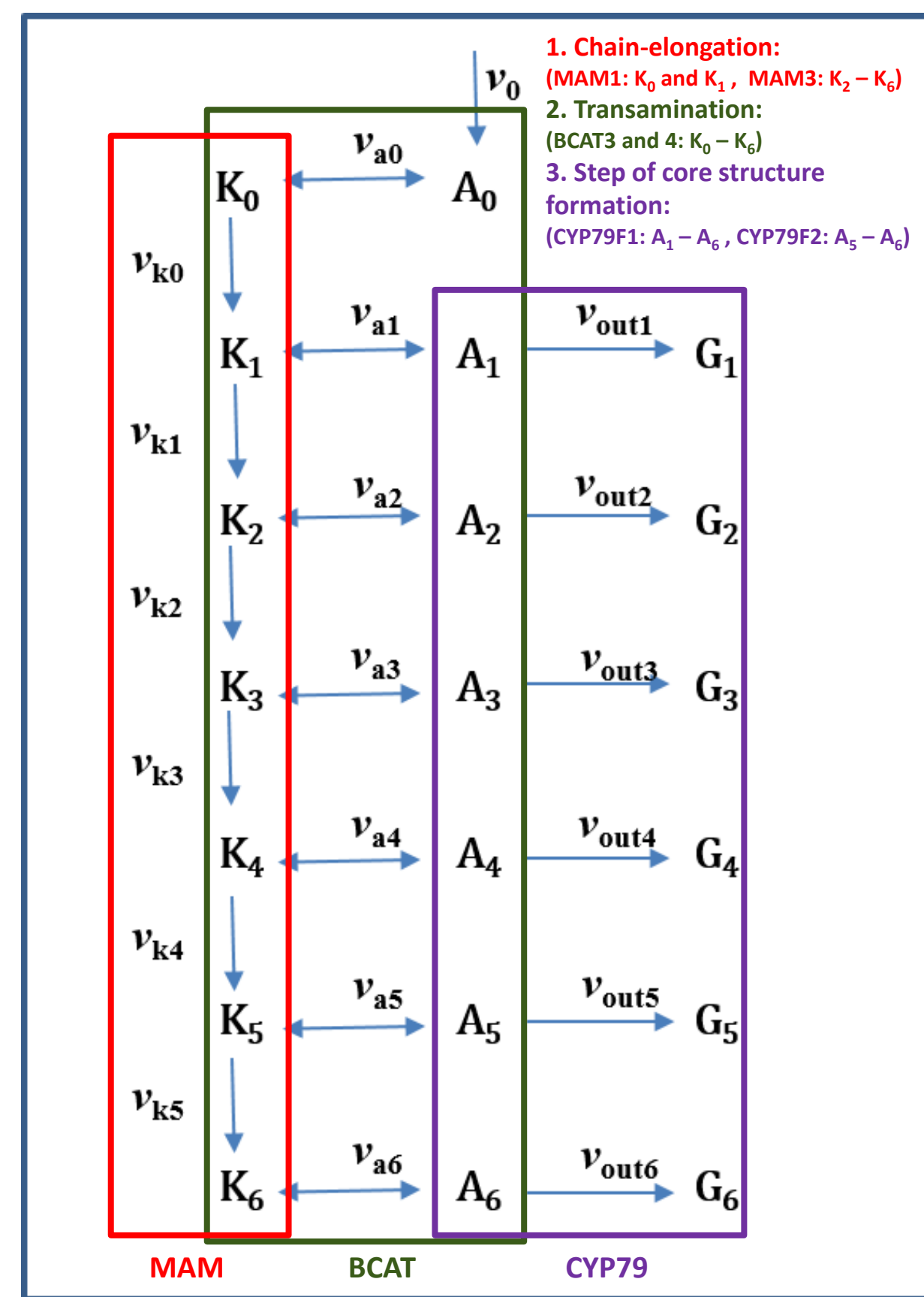
## Model development

**Objective:** To explain which factors govern the chain-elongation of Met-derived glucosinolates



### Model assumptions

- The irreversible steps of chain-elongation are lumped together as one reaction ( $K_i$  to  $K_{i+1}$ )
- The model doesn't include inter-compartment transport mechanisms
- Acetyl-CoA and  $CO_2$  are provided externally



If one enzyme can catalyse different substrates, then all the substrates will compete for the binding site

Based on rapid-equilibrium assumption [5] and conservation of total enzyme concentration, we derived the steady-state rate equations which has the general form:

**Reversible reaction**

$$A_n + E \xrightleftharpoons[k_{n,1}]{k_{n,2}} EA_n \xrightleftharpoons[k_{n,2}]{k_{n,1}} K_n + E$$

$$v_{rev,i} = \frac{V_m^+ A_i / K_m^+ - V_m^- K_i / K_m^-}{1 + \sum_{j=0}^6 A_j / K_m^+ + \sum_{j=0}^6 K_j / K_m^-}$$

$$V_m^+ = k_{+i,2} E_{total}; V_m^- = k_{-i,1} E_{total};$$

$$K_m^+ = \frac{k_{-i,1} + k_{+i,2}}{k_{+i,1}} \text{ and } K_m^- = \frac{k_{-i,1} + k_{+i,2}}{k_{-i,2}}$$

**Irreversible reaction**

$$K_n + E \xrightarrow[k_{n,cat}]{k_{n,1}} EK_n \xrightarrow[k_{n,cat}]{k_{n,1}} K_{n+1} + E$$

$$A_n + E \xrightarrow[k_{n,cat}]{k_{n,1}} EA_n \xrightarrow[k_{n,cat}]{k_{n,1}} G_n + E$$

$$v_{irr,i} = \frac{V_m^i S_i / K_d^i}{1 + \sum_{j=1}^6 S_j / K_d^j}$$

$S$  can be  $A$  or  $K$  ;

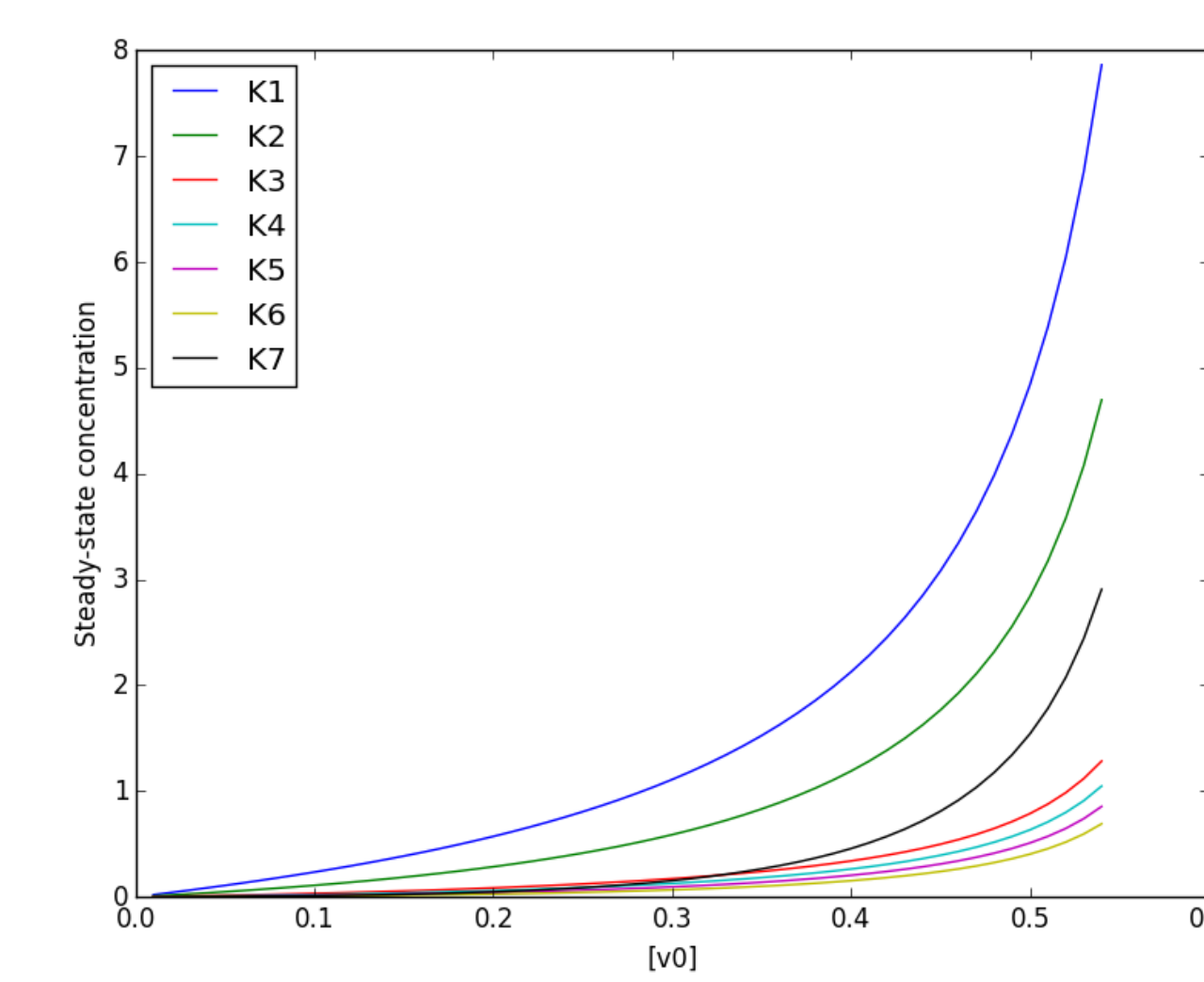
$$V_m^i = E_{total} k_{n,cat} \text{ and } K_d^i = \frac{k_{+i,1}}{k_{-i,1}}$$

We could see from these equations that production of anything is affected by everything else.

## First results

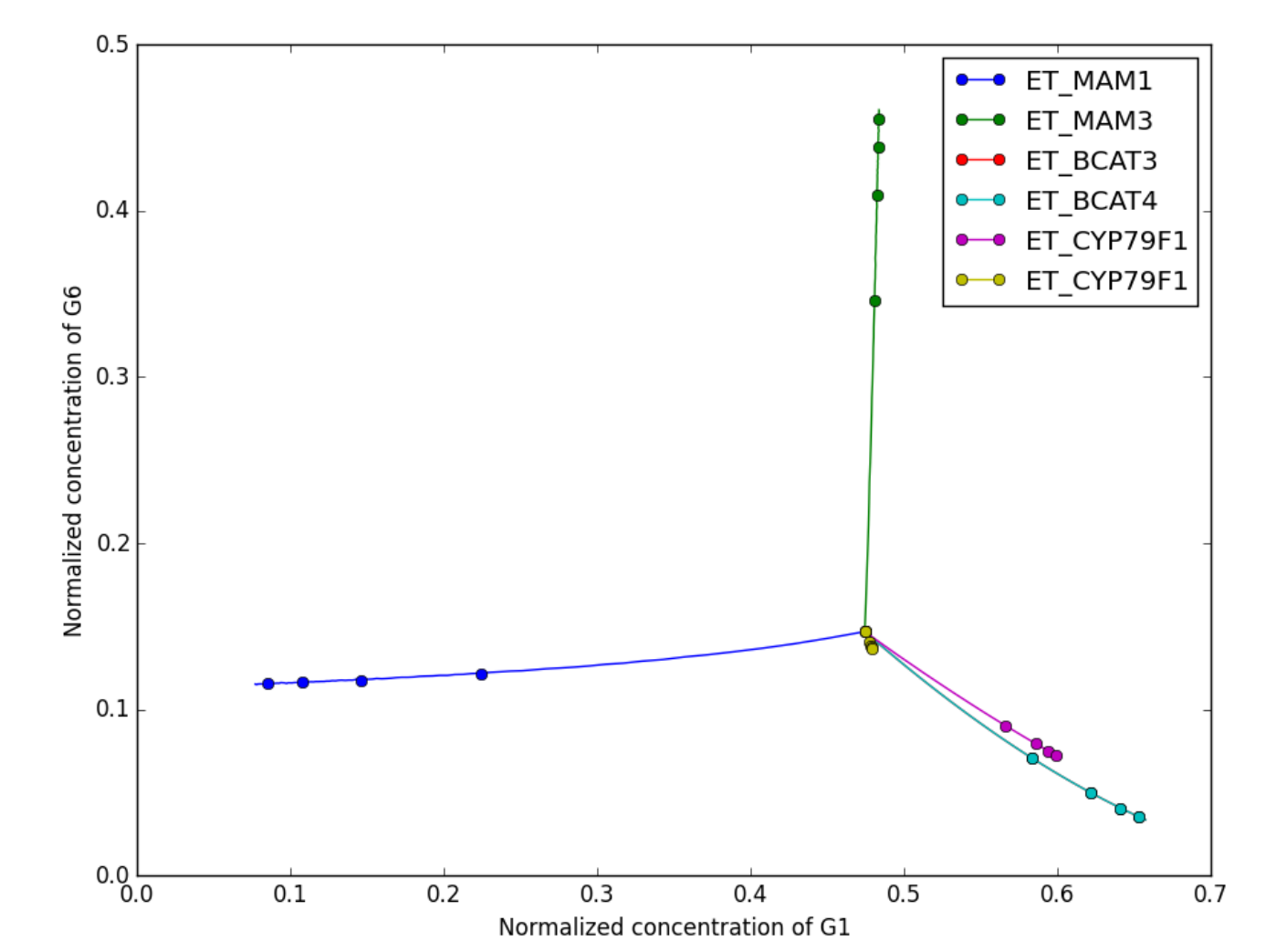
With steady-state rate equations, we simulated our model where all the enzymes compete, for their respective substrates, with equal efficiency and:

- Varied influx  $v_0$



\* where  $E_i = 1.0$

- Varied total Enzyme concentration  $[E_t]$



where  $v_0 = 0.3$   
MAM1:  $K_0 - K_1$ ; MAM3:  $K_2 - K_6$ ; BCAT3:  $A_0 - A_6$ ;  
BCAT4:  $A_0 - A_6$ ; CYP79F1:  $A_1 - A_6$  and CYP79F2:  $A_5 - A_6$

## Current stage:

- Parameter estimation using genetic algorithm

**Error function:**

$$\Delta = \sum_{i=1}^n (\hat{G}_{exp} - \hat{G}_{model})^2$$

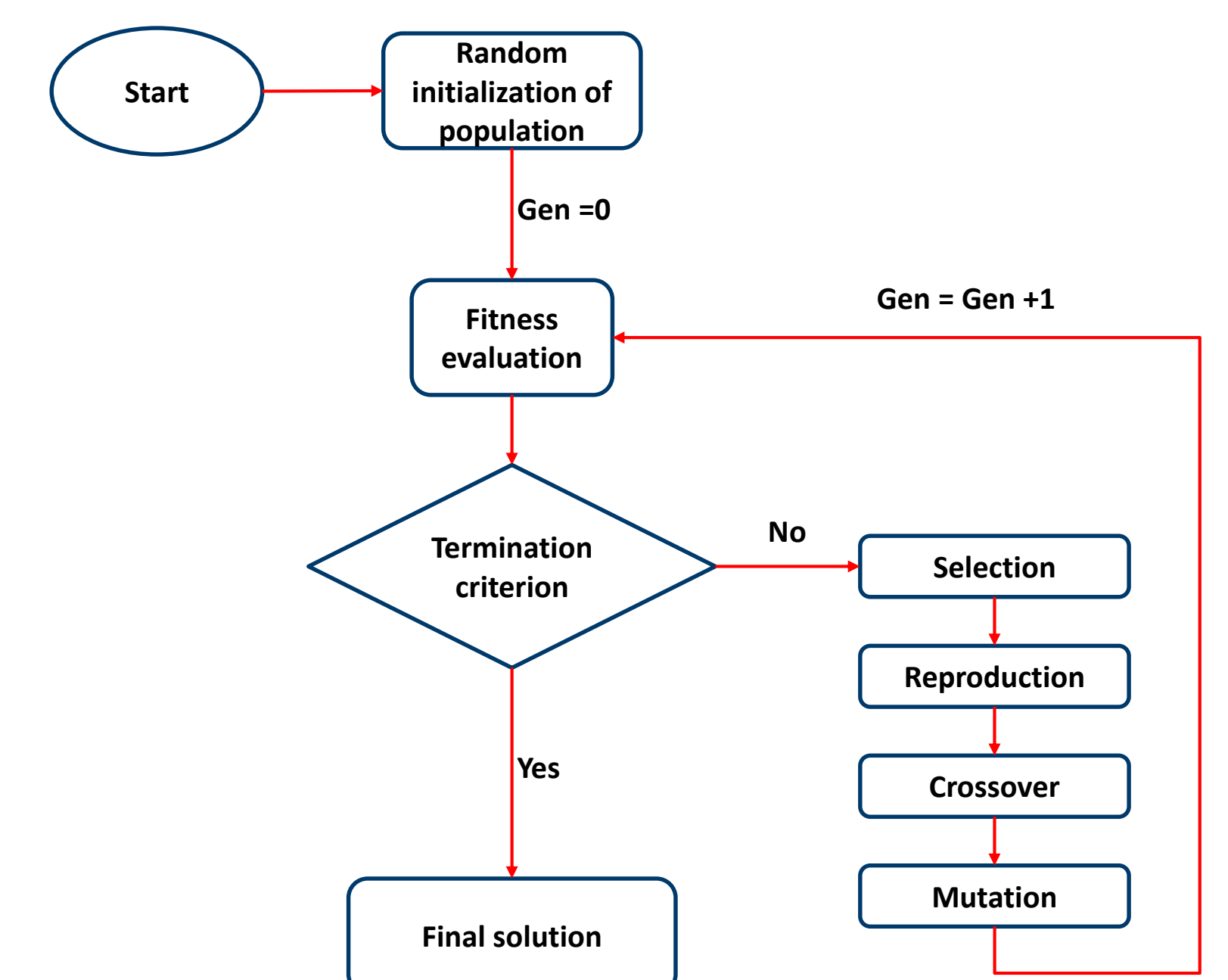
**Fitness function:**

$$J = \frac{1}{(1 + \Delta)}$$

**Constraints for crossover and mutation:**

- Satisfaction of Haldane relation,

$$K_{eq} = \frac{V_{max}^+ K_m^-}{V_{max}^- K_m^+}$$



## Future work

- Find/estimate the values of the kinetic parameters to fit the observed production of the different Met-derived GSL levels in *Arabidopsis*
- Study inter-compartment transport of metabolites
- Study feed-back/forward loops regulating the biosynthesis

## Acknowledgement

I would like to thank Cluster of Excellence on Plant Sciences (CEPLAS) for providing me with opportunity to pursue my Ph.D on the topic and Deutsche Forschungsgemeinschaft (DFG) for funding the research.  
[www.ceplas.eu](http://www.ceplas.eu)

## References:

- Sønderby, Ida E., Fernando Geu-Flores, and Barbara A. Halkier. "Biosynthesis of glucosinolates—gene discovery and beyond." *Trends in plant science* 15.5 (2010): 283-290.
- Gigolashvili, Tamara, et al. "The plastidic bile acid transporter 5 is required for the biosynthesis of methionine-derived glucosinolates in *Arabidopsis thaliana*." *The Plant Cell Online* 21.6 (2009): 1813-1829.
- Fahey, Jed W., Amy T. Zalcmann, and Paul Talalay. "The chemical diversity and distribution of glucosinolates and isothiocyanates among plants." *Phytochemistry* 56.1 (2001): 5-51.
- Kliebenstein, Daniel J., et al. "Genetic control of natural variation in *Arabidopsis* glucosinolate accumulation." *Plant physiology* 126.2 (2001): 811-825.
- Michaelis, Leonor, and Maud L. Menten. "Die kinetik der invertinwirkung." *Biochem. z* 49.333-369 (1913): 352.